

I. Imaginary Number “ i ” (p.563):

$$1. \sqrt{-1} = i$$

$$2. i^2 = \underline{\hspace{2cm}}$$

II. Examples (p.570): Exercises #2,6,12

III. Complex Numbers (p.564):

$$\mathbb{C} = \{a + bi \mid \text{“a” \& “b” are real \#s}\}$$

IV. Examples (p.570): Exercises #18,24,34,40,58,62

V. Conjugate of “ $a + bi$ ” is “ $a - bi$ ”

$$(a + bi)(a - bi) =$$

$$=$$

$$=$$

$$=$$

👉 real #

VI. Division w/complex numbers (p.566):

1. Similar to rationalizing the denominator...
i.e., multiply by the conjugate of the denominator
in order to obtain an equivalent fraction whose
denominator is a real # (no imaginary part)
2. Examples (p.570): Exercises #64,72,84

HW: p.570 / Exercises#1,5,9,11,17,21,27,29,33,39,
45,49,55,59,63,67,81,85,95,99

Read pp.582-592 (section 8.1)