

I. Function Arithmetic (p.128):

$$[f \pm g](\mathbf{x}) = f(\mathbf{x}) \pm g(\mathbf{x})$$

$$[f \cdot g](\mathbf{x}) = f(\mathbf{x}) \times g(\mathbf{x})$$

$$[f \div g](\mathbf{x}) = f(\mathbf{x}) \div g(\mathbf{x})$$

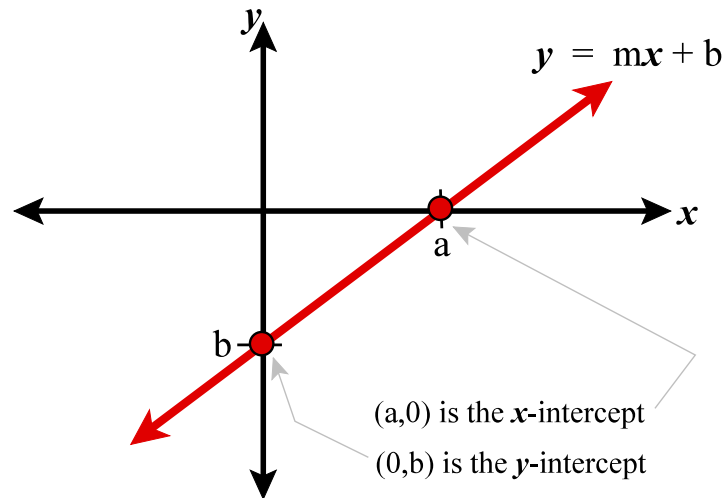
II. Domain \sim permitted set of \mathbf{x} -values

set of Real Numbers or subset (**avoid $\div 0$**)

III. Examples (pp.132-133): Exercises #8,10,16,22,40

HW: pp.132-133 / Exercises #3-51 (every other odd)

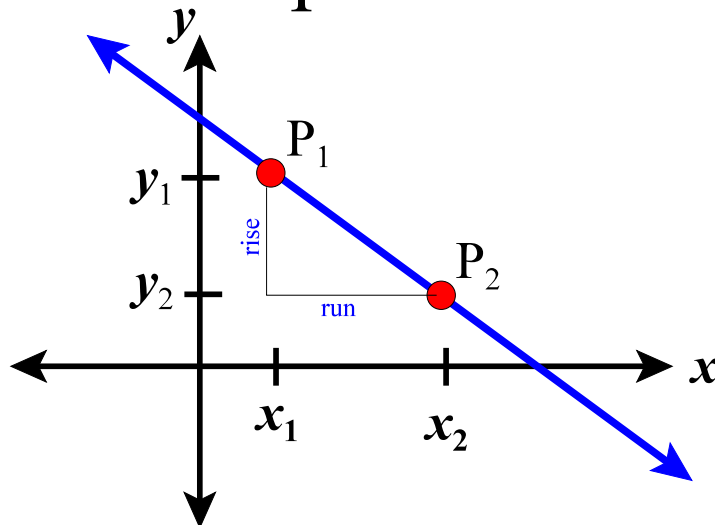
I. x - and y -intercepts of a line...



...to find these two points...
 Let $x = 0$ in the equation,
 solve for $y = b$, then let $y = 0$ in
 the equation, solve for $x = a$.

x	y
0	b
a	0

II. Slope of a line (p.138): quantitative measure of how steep a line is tilted, usually denoted “ m ”



For any two points on a line,

$$P_1(x_1, y_1) \text{ \& } P_2(x_2, y_2) \dots$$

$$m = \frac{y_2 - y_1}{x_2 - x_1}$$

☞ “rise” (vertical change)
 over the
 ☞ “run” (horizontal change)

III. Equation Forms of a Line:

1. $y = mx + b$ slope-intercept form
2. $Ax + By = C$ standard form

IV. Examples (p.151): Exercise #4

HW: p.151 / Exercises #7,11,15

Read pp.136-150 (section 2.4)